

# Programming Language Support for Natural Language Interaction

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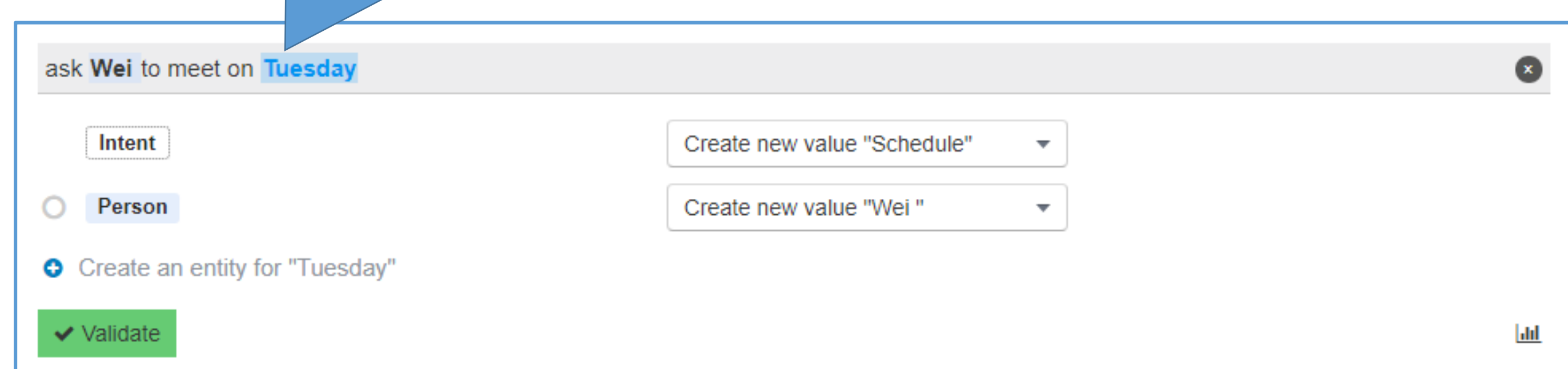
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A DSL for configuring Natural Language Understanding models that ensures **consistency** and **type safety**...

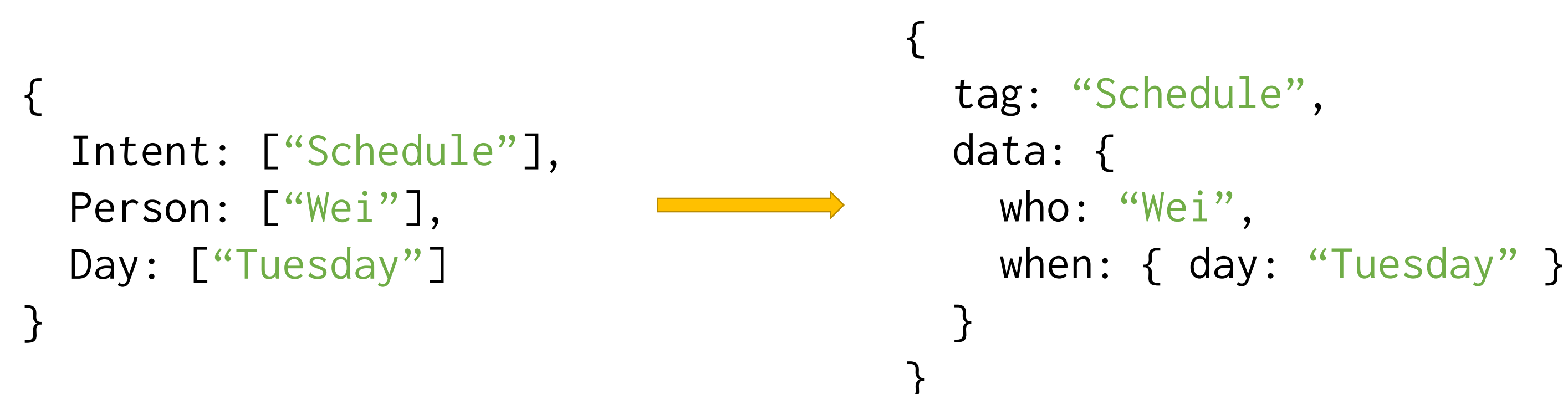
Configuring Wit.ai generally requires manual highlighting of entities.



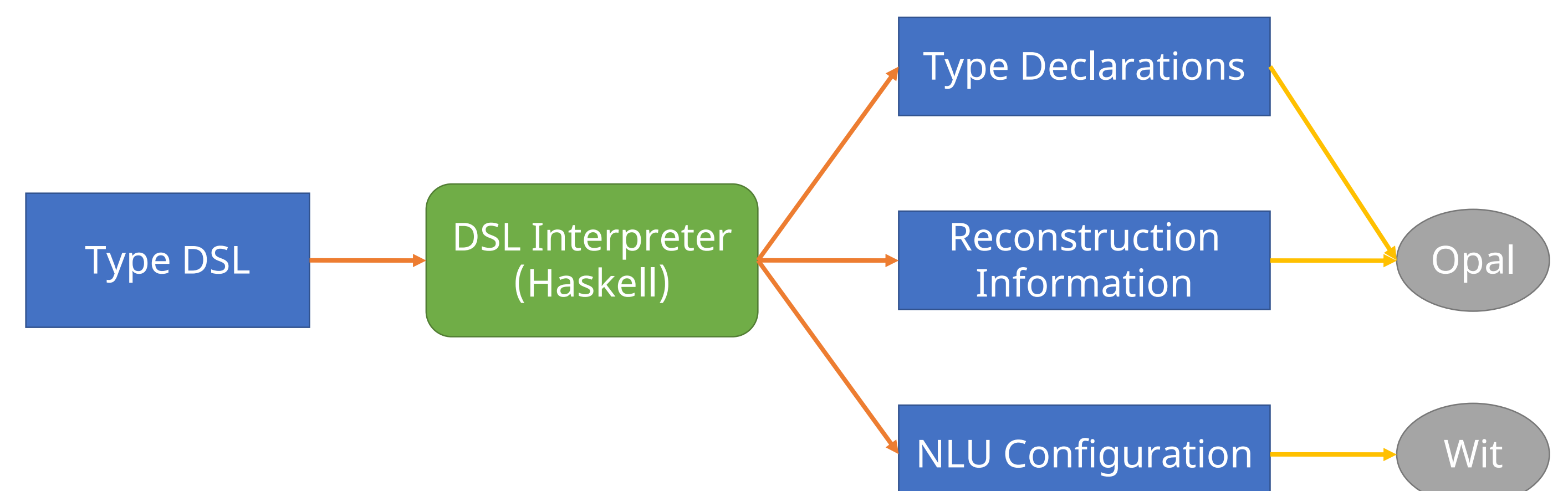
```
free-text Person;
free-text Time;
keywords Day = "Sunday" | "Monday" | ... | "Saturday";
alias Date = { day: Day, time?: Time };
trait Intent =
  | <Schedule> { who: Person, when: Date }
  | <Move> { from: Date, to: Date }
  | <List> {};
```

Our type DSL provides a way to configure Wit alongside application types, avoiding the graphical interface.

"ask Wei to meet on Tuesday"

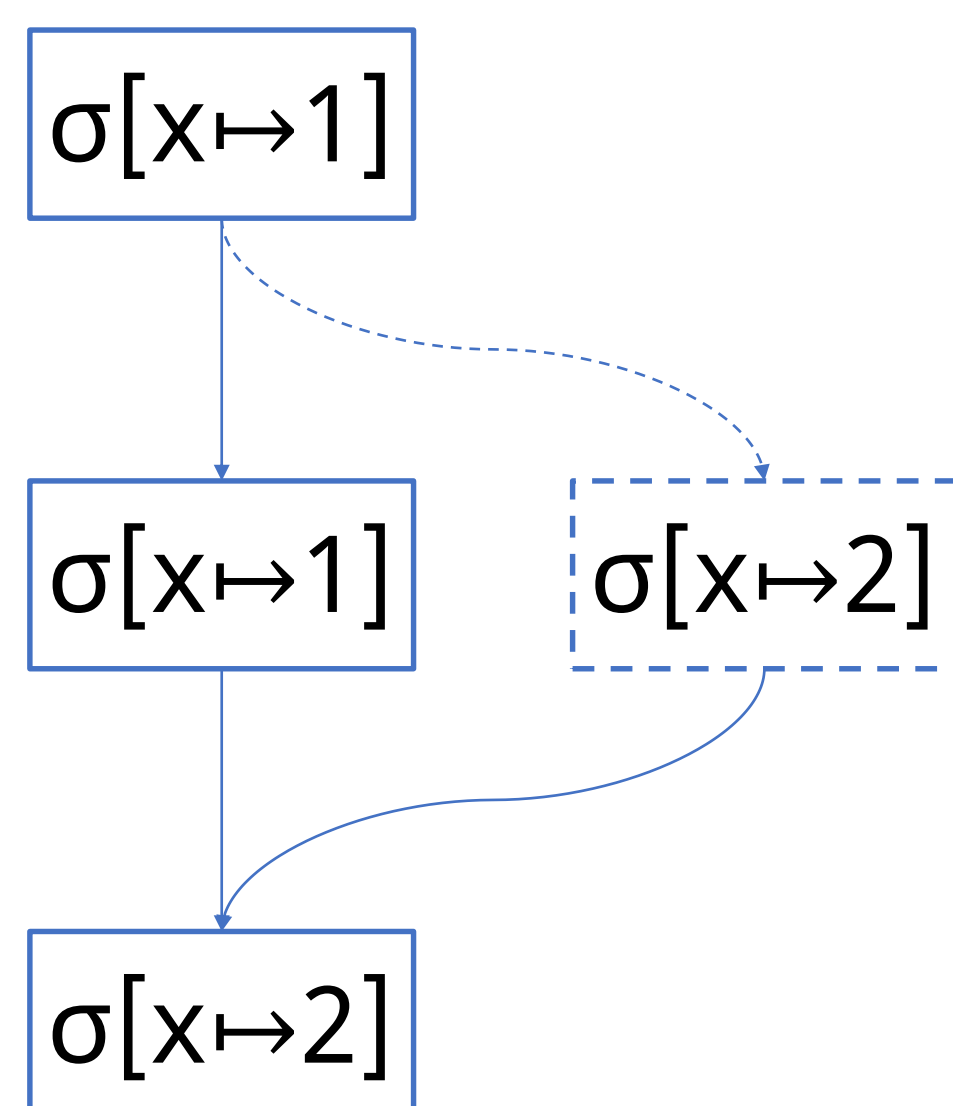


Once the application has been configured, we provide a mechanism for building the application type from Wit's response.



... and a new language construct to express **ambiguity** by exploring **hypothetical actions**.

```
x := 1;
world := hyp {
  x := 2;
  // Local effects are visible.
  assert x == 2;
}
// The world has not yet been committed.
assert x == 1;
commit world;
// The world's changes have been merged.
assert x == 2;
```



“remind me to email Jean at 8:00”

- remind(emailPerson("Jean"), 8)
- remind(emailPerson("Gene"), 8)
- remind(emailPerson("Jean"), 20)
- remind(emailPerson("Gene"), 20)

```
interps := parse(utterance);
worlds := search (likelihood, name, time) in interps {
  person := contacts.get(name);
  calendar.schedule_meeting(person, time);
  fitness := calendar.fitness() * likelihood;
}
commit worlds.max(fitness);
```

$\omega$  is a map of hypothetical stores

$\mu$  specifies how to merge two stores

$$\frac{\langle c, \sigma_{\text{orig}}, \emptyset, \mu \rangle \Downarrow \langle \sigma_{\text{hyp}}, \omega_{\text{hyp}} \rangle}{\langle u := \text{hyp } \{ c \}, \sigma_{\text{orig}}, \omega, \mu \rangle \Downarrow \langle \sigma_{\text{orig}}, \omega[u \mapsto \sigma_{\text{hyp}}] \rangle} \text{HYP}$$

$$\frac{\omega[u] = \sigma_{\text{hyp}} \quad \forall v \in \sigma_{\text{hyp}}, \sigma_{\text{merge}}[v] = \mu(\sigma_{\text{curr}}[v], \sigma_{\text{hyp}}[v])}{\langle \text{commit } u, \sigma_{\text{curr}}, \omega, \mu \rangle \Downarrow \langle \sigma_{\text{merge}}; \sigma_{\text{curr}}, \omega \rangle} \text{COMMIT}$$